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Author(s): Jeanette K. Howard and Kurt M. Cuffey<br>Source: Journal of the North American Benthological Society, 25(3):677-690.<br>Published By: The Society for Freshwater Science<br>DOI: http://dx.doi.org/10.1899/0887-3593(2006)25[677:FCTASO]2.0.CO;2<br>URL: http://www.bioone.org/doi/full/10.1899/0887-3593\%282006\%2925\%5B677\%3AFCTASO<br>\%5D2.0.CO\%3B2

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# Factors controlling the age structure of Margaritifera falcata in 2 northern California streams 

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#### Abstract

Freshwater mussels are long-lived and relatively stationary organisms that form annual rings, so they provide excellent opportunities for studying how population properties such as age structure relate to environmental influences on recruitment and mortality. We investigated population dynamics of the freshwater pearl mussel, Margaritifera falcata, in 2 northern California Coast Range rivers, the South Fork Eel and the Navarro. We used field observations and inverse theoretical modeling to assess age structures and identify factors that control population demographics. Distinctly different mortality rates for young ( $<20 \mathrm{y}$ ) and old ( $\geq 20$ y) mussels were observed in the South Fork Eel, and recruitment and mortality both were related to river discharge regimes. Margaritifera falcata recruited more successfully during low-discharge than during high-discharge years, and a 2 -fold increase in discharge caused a $60 \%$ decline in recruitment success. Active annual recruitment ( $\sim 1100-1800$ ind./y) was observed in the South Fork Eel, whereas recruitment has been low or nonexistent during the past 30 y in the Navarro. This difference probably is a consequence of the influence of 2 non-mutually exclusive factors: landuse history and host-fish abundance. The Navarro watershed has extensive timber harvesting and orchard/vineyard agriculture and has had severe declines in fish populations, whereas large sections of the South Fork Eel pass through protected land and the river has retained its historical fish populations. Investigation of the factors that shape local $M$. falcata population age structures yielded insights into the influence of environmental variables and history on mortality and recruitment that will aid conservation of this endangered family.


Key words: freshwater mussels, age structure, California, Margaritifera falcata, discharge, recruitment, mortality, annual rings.

The worldwide decline of freshwater mussels has been the focus of many studies over the past decade. Alarming losses of species and of numerous populations have been documented, and $>70 \%$ of freshwater mussel species are imperiled or extinct (Butler 1989, Williams et al. 1992, Neves et al. 1997, Brim Box 1999, Brim Box and Williams 1999). Extinction rates for freshwater mussels are an order of magnitude higher than expected background levels (Nott et al. 1995), so a comprehensive understanding of environmental influences on freshwater mussel population dynamics is essential for conservation efforts.

Freshwater mussels provide excellent opportunities for population ecology research. A major goal of population ecology is to quantify population processes, such as mortality and recruitment, in concert with population characteristics such as age and density (Renshaw 1991, Cappuccino and Price 1995, Kingsland 1995, Caswell 2001, Oli 2003). Mussels are

[^1]particularly useful models in this context because they have annual rings, making it possible to determine the population age structure at specific points in time. In addition, mussels are long-lived and relatively stationary; thus, they can provide a cumulative indication of long-term environmental conditions at a site of interest (Nystrom et al. 1996).

Scattered information is available on the population demographics of freshwater mussels. Previous studies have focused primarily on growth characteristics (Hendelberg 1961, Stober 1972, Bauer 1983, 1992, Day 1984, Hruska 1992, Toy 1998, Hastie et al. 2000a), descriptions of population age structure (Hendelberg 1961, Hruska 1992, Hastie et al. 2000b), or the use of shells as environmental recording devices (Carell et al. 1987, Aberg et al. 1995, Nystrom et al. 1996). Together, these studies have provided insight into mussel demographics, but only a few studies have quantified vital rates, such as mortality and recruitment, that affect population age structure (Bauer 1983, 1992).

We used an inverse theoretical technique to analyze
population age structure and identify environmental factors controlling demographics of the western pearly-shell mussel, Margaritifera falcata (Gould 1850), in 2 rivers in the northern California Coast Range. This analysis uses measured values of some characteristic (e.g., age) and combines them with a mathematical description of processes to infer values of unmeasured parameters (e.g., recruitment, mortality) (Menke 1989). Inverse theoretical modeling provides estimates of mortality rates and information about their variation with age, and it can reveal whether temporal variation in mortality and recruitment is related to environmental factors such as river hydrology and recent land use in the watershed. Our main objectives were to: 1) determine the age structure of $M$. falcata populations in 2 rivers with contrasting landuse histories, 2) determine growth rates of individual mussels as a function of age, 3) quantify population mortality and recruitment rates, 4) identify the degree to which temporal variation in recruitment and mortality determine age structure, and 5) determine if these population parameters were related to environmental variables.
Two environmental variables may be particularly important factors controlling mussel recruitment and mortality in streams in the North Coast Range. Mussels in these streams typically inhabit low-shearstress regions of channels (Howard and Cuffey 2003), but interannual variability in flood discharge magnitude can be high and is influenced by El Niño (high mean discharge) and La Niña (low mean discharge) in some years and may affect both recruitment and mortality. In addition, host-fish abundance may determine recruitment because mussel larvae must parasitize fish early in their life cycle (Coker et al. 1921). Thus, the dramatic $20^{\text {th }}$-century decline of anadromous fish in California rivers could have reduced mussel recruitment substantially.

## Methods

## Study sites

We quantified age structure of M. falcata in portions of the South Fork Eel and the North Fork Navarro rivers in California, USA (see Howard et al. 2005 for map). The South Fork Eel River is part of the $9000-\mathrm{km}^{2}$ Eel River system, the $3^{\text {rd }}$ largest river system in California. The South Fork Eel watershed (1783 km², $30-1370 \mathrm{~m}$ asl) is $\sim 270 \mathrm{~km}$ from San Francisco, and the South Fork Eel River flows north from its headwaters for $\sim 160 \mathrm{~km}$ before it joins the mainstem Eel River, which continues for $\sim 64 \mathrm{~km}$ to the Pacific Ocean near Humboldt Bay. Our study area is in a $4^{\text {th }}$-order channel with a mean gradient of 0.0044 . A welldefined alternating pool-riffle structure is present in
the stream. Much of the study area lacks a floodplain, and the stream bed is dominated by incised cobble river terraces and bedrock. Some logging occurred in the watershed from the early to mid 1900s, but the study area has been protected as a conservation site since 1959, and it is now known as the Angelo Coast Range Reserve, part of the University of California's Natural Reserve System.

The Navarro River watershed ( $815 \mathrm{~km}^{2}, 0-760 \mathrm{~m}$ asl) is $\sim 190 \mathrm{~km}$ north of San Francisco. The Navarro River flows northwesterly through the coastal range and the Anderson Valley to the Pacific Ocean. Our study area was in the North Fork Navarro River subwatershed and the lower reaches of the Navarro River. The study area is in a $3^{\text {rd }}$-order channel and drains $190 \mathrm{~km}^{2}$ (mean gradient $=0.0041$ ), and includes the entire North Fork Navarro River watershed from its headwaters to its confluence with the Navarro main stem. Unlike the South Fork Eel site, the Navarro watershed underwent massive landuse changes following the start of timber harvesting in the mid 1800s. A $2^{\text {nd }}$ logging boom occurred from the late 1930s to the early 1950s, when large tracts of redwood-dominated forest in the mainstem Navarro River subwatershed were reharvested (Entrix et al. 1998). Current land uses in the Navarro watershed are commercial timber harvesting, grazing, viticulture, and orchards (Entrix et al. 1998). In addition, State Highway 128, constructed between 1933 and 1963, runs parallel to the river for most of its course through the Anderson Valley.

## Study species

Margaritifera falcata is restricted to regions west of the Continental Divide and has been reported from many Pacific watersheds from southern Alaska to central California (Taylor 1981). The mussel and its eastern relative, M. margaritifera, are long-lived species (individuals may live for $>100 \mathrm{y}$; Bauer 1992, Hastie et al. 2000a, b). Like most unionid mussels, M. falcata has an obligate parasitic larval stage on fishes. After completing larval development, juvenile mussels drop from their hosts onto the river bed and become minute $(\sim 60-\mu \mathrm{m})$ free-living bivalves. The length and timing of $M$. falcata's parasitic cycle is currently unknown. Host fish include chinook salmon (Oncorhynchus tschawytscha), rainbow trout (O. mykiss), coho ( $O$. kisutch), cutthroat trout (Salmo clarki), and steelhead trout (S. gairdneri) (Fuller 1974, Karnat and Millemann 1978).

## Mussel surveys

We surveyed mussels during spring and summer 2000 and 2001 in an $8-\mathrm{km}$ reach of the South Fork Eel

River (Howard and Cuffey 2003, Howard 2004) and in a $10-\mathrm{km}$ reach of the North Fork Navarro and Navarro main stem. We resurveyed the 5 largest populations in the South Fork Eel study area in summer 2003. We searched for mussel aggregations (i.e., $\geq 10$ individuals) by snorkeling and wading in shallow reaches and diving in the deepest pools. We found 114 M . falcata aggregations totaling $\sim 12,000$ individuals in the South Fork Eel (Howard and Cuffey 2003), whereas we found only $\sim 350$ individuals in the Navarro River.

We selected a subset of mussel aggregations in the South Fork Eel study area for more detailed measurements of shell lengths. We selected all large aggregations ( $>500$ mussels, $n=11$ ) and randomly selected additional aggregations in the study areas to ensure adequate spatial coverage (i.e., the longest linear distance between sampled aggregations was $<500 \mathrm{~m}$ ). We measured shell lengths along the maximum growth axis (to the nearest 0.5 mm ) of all mussels occurring within randomly placed $0.5-\mathrm{m}^{2}$ quadrats in each aggregation. We used enough quadrats to ensure that $\geq 10 \%$ of the individuals in aggregations with $>300$ individuals were measured. We measured $\geq 50 \%$ of the individuals in small aggregations ( $<300$ individuals). We measured all visible mussels in each quadrat, and we excavated and sieved ( $2-\mathrm{mm}$ mesh) the upper 10 cm of substrate in the quadrats to detect small ( $<10 \mathrm{~mm}$ ) individuals. Fewer than $0.5 \%$ of the individuals in the quadrat were obtained from excavated substrate.

In the South Fork Eel, we measured 2,050 and 865 mussels in 2000 and 2003, respectively, whereas we measured all mussels in the Navarro River $(n=315)$. We returned all mussels measured to their collection site.

## Age determination

We collected 90 M. falcata from a total of 4 sites along the South Fork Eel River and 15 individuals from 1 site on the north branch of the Navarro River in August and September 2002 and 2003 for age determinations. We allowed mussels to evacuate their gut contents in fresh water for 48 h , rinsed them in fresh water, and then froze them $\left(-5^{\circ} \mathrm{C}\right)$ until they were processed.

We used a diamond saw to section shells, which were cut from the umbo region to the ventral margin, following the vector of maximum growth. We mounted sections on glass slides with epoxy and vacuum-sealed them into a vice attached to the cutting arm of the saw. We reduced the thickness of sections ( $\sim 250 \mu \mathrm{~m}$ wide) by sanding them with successively smaller grit sizes and polished them with fine lapidary powders ( $3-\mu \mathrm{m}$ and $1-\mu \mathrm{m}$-diameter grit sizes; Neves and Moyer 1988). Thickness of the finished sections was between 150 and $200 \mu \mathrm{~m}$ and provided the
necessary translucence for detection of growth bands. Growth increments are continuous from the prismatic layer to the external nacreous sublayer and appear as light bands (areas of high seasonal growth) interspersed by dark narrow lines (areas of low [winter] growth). We counted annual rings and measured interannular growth distances under a compound microscope $(10-40 \times)$. We counted each thin section 5 times to ensure accuracy.

## Confirmation of annual growth identifiers

We notched, measured, and labeled 100 M. falcata shells during summer 2000 in the South Fork Eel to ensure that the dark lines visible in thin sections indicated annual growth. We removed mussels from the substrate and measured the length (nearest 0.5 mm ) and mass (nearest 0.1 g ) of each mussel. Before we returned a mussel to the substrate (within 15 min of removal), we used adhesive (Devcon Super Glue ${ }^{\text {TM }}$ ) to attach Bee Tags ${ }^{\text {TM }}$ labels to the left valve, and filed a notch on the left ventral margin of one valve. We used notches to mark the shell edge. The notches allowed us to count annual rings produced after marking when mussels were collected in subsequent years. We recovered subsamples of marked mussels $(n=13)$ in the summers of 2002 and 2003 and prepared thin sections as above to verify accuracy of annular growth increments. Subsequent examination of thin sections demonstrated conclusively that growth increments were annual.

## Calculating ages from length measurements

We plotted age against shell length and used leastsquares optimization to fit 3 nonlinear growth curves (power, exponential growth to maximum age, logarithmic; Hastie et al. 2000a) to the shell length-at-age data (Fig. 1). The best fit was to the standard 3parameter logarithmic equation:

$$
\begin{equation*}
L=L_{o}+a \ln \left(A-A_{o}\right) \tag{1}
\end{equation*}
$$

where $L$ is length of the mussel shell, $A$ is age, and $a$, $A_{o}$, and $L_{o}$ are constants. We used the inverse of this equation to calculate ages for all measured mussels.

Accounting for variability in the length-age relationship and age histograms

Two mussels of the same length could be different ages, thereby causing uncertainty in our age determinations based on length. Examination of the deviations from the best-fit logarithmic model showed that this uncertainty increased with age, and was approximately $\pm 1$ y for shells $<50 \mathrm{~mm}, \pm 2 \mathrm{y}$ for shells between 51 and 56 mm , and $\pm 3 \mathrm{y}$ for shells $>57 \mathrm{~mm}$.


Fig. 1. Relationship between measured age and shell length of the freshwater mussel Margaritifera falcata from the South Fork Eel and the North Fork Navarro rivers, California.

We incorporated this uncertainty directly into the age histograms. For example, age of a mussel of $60-\mathrm{mm}$ length would be estimated as 17 y from the best-fit model. Given the $\pm 3$ y uncertainty on this age, we assumed that the true mussel age was between 14 and 20 y , with equal probability for all of these ages. We proportionately scaled the contribution of this one mussel to the various classes in the age histogram to ensure that all individuals had equal weighting despite variations in the uncertainty. The uncertainty on ages of older mussels might have been larger than the $\pm 3 \mathrm{y}$ estimated from the data ranges (Fig. 1). For example, erosion of annual layers from shells could cause our thin-section counts to be underestimates of true age. In our analysis of model parameter uncertainty (see below), we increased the error estimate of age for these mussels by an additional $\pm 10 \%$ (e.g., $\pm 7 \mathrm{y}$ for mussels of estimated age 40).
We constructed histograms from all of the individual age estimates, accounting for age uncertainty as discussed above, for each mussel aggregation measured in 2000 and 2003. We also combined these estimates into population-weighted age histograms for the entire South Fork Eel and Navarro study sites.

## Recent mortality rates

We compared age histograms from 2000 and 2003 to obtain direct information about recent mortality rates.

We used a standard definition of annual mortality rate ( $\alpha$ ), as:

$$
\begin{equation*}
\frac{d N(t)}{d t}=-\alpha N(t) \tag{2}
\end{equation*}
$$

where $N(t)$ is the number of mussels in an age class at time $t$. Thus, the number of mussels alive in 2003 was a function of the number in 2000 according to:

$$
\begin{equation*}
N(2003)=N(2000) \exp \left(-3 \alpha_{3}\right) \tag{3}
\end{equation*}
$$

where $\alpha_{3}$ is the 3-y mean of $\alpha$. Using our data, we then calculated $\alpha$ for each age class using:

$$
\begin{equation*}
-\frac{1}{3} \ln \left(\frac{N(2003)}{N(2000)}\right)=\alpha_{3} \tag{4}
\end{equation*}
$$

We plotted $\alpha_{3}$ against age to determine whether mortality varies systematically with age. We also examined the plots for negative values for $\alpha_{3}$, which would indicate major problems with the constructed age histograms.

## Methods for analysis of population age structure

We designed analyses of age-structure data to yield information on mean mortality and recruitment rates, their variations over time, and their relationships with environmental variables. We used a standard approach from inverse theory (Menke 1989, Press et al. 1992) to model calculations of age structures and


Fig. 2. Form of the mortality vs age function ( $\alpha$ ) used in the analyses (eq. 7) with arbitrary 0 . Parameters $\alpha_{1}$ and $\alpha_{2}$ were calculated by analysis of age histograms. Parameters $\Delta A$ and $A^{*}$ were estimated from 3-y mortality data.
compare them to measured age structures; we used the least-squares optimization to find best-fit models for unknown model parameters (Press et al. 1992). We then used a Monte-Carlo technique to validate conclusions and define uncertainties for model parameters. We used 3 models with successively higher numbers of unconstrained parameters (3-, 4-, and 5parameter models, see below) to find the best-fit model. We measured model performance using a standard least-squares index ( $J$ ), defined by:

$$
\begin{equation*}
J=\frac{1}{\left(A_{\max }-A_{\min }\right)} \sum_{j=A_{\min }}^{A_{\max }}\left(N j^{\text {measured }}-N j^{\text {modeled }}\right)^{2} \tag{5}
\end{equation*}
$$

where $N_{j}$ is the number of individuals in the $j^{\text {th }}$ age class, and the sum of the squared differences between $N j^{\text {measured }}$ and $N j^{\text {modeled }}$ is taken over all ages of the population from $A_{\min }$ to $A_{\max }$, with $A_{\min }=6$ for the South Fork Eel (see Results for justification for this value of $A_{\text {min }}$ ). Optimal values for the model parameters were those that minimized $J$. The minimization was accomplished using iterative application of Singular Value Decomposition (SVD, Appendix 1). We did optimizations on histograms for all mussels in the South Fork Eel and Navarro rivers.

Analysis 1 (3-parameter model): time-invariant recruitment and mortality.-We asked what information could be extracted from the age histograms assuming no variation of mortality and recruitment over time. We used a model incorporating 3 unknown parameters: 1)
youthful ( $<20 \mathrm{y}$ ) $\alpha_{1}, 2$ ) adult ( $\left.\geq 20 \mathrm{y}\right) \alpha_{2}$, and 3 ) mean recruitment rate. We used eq. 3 to calculate the number of mussels $\left(N_{y}(t)\right)$ born in year $y$ that were living in year $t$ as:

$$
\begin{equation*}
N_{y}(t)=N_{o} \exp \left[-\int_{t-y}^{t} \alpha(t-y) d t\right] \tag{6}
\end{equation*}
$$

where $N_{o}$ is the recruitment rate.
We incorporated variation of $\alpha$ with age based on results from the analysis of recent values of $\alpha$ (see Results, Recent mortality rates). We used 2 independent parameters as limiting values for mortality ( $\alpha_{1}$ and $\alpha_{2}$ for youth and old age, respectively), and specified $\alpha$ using the functional switch (Fig. 2):

$$
\begin{equation*}
\alpha(A)=\left[\left(\frac{\alpha_{2}-\alpha_{1}}{2}\right) \operatorname{erf}\left(\frac{A-A *}{\Delta A}\right)\right]+\left(\frac{\alpha_{1}+\alpha_{2}}{2}\right) \tag{7}
\end{equation*}
$$

where erf is the error function, $A=$ age (equivalent to $t$ $-y), A^{*}$ and $\Delta A$ are both constants, estimated from the 2000 to 2003 comparison (see Results, Recent mortality rates), $A^{*}=$ age at which the mean of $\alpha_{1}$ and $\alpha_{2}$ is attained, and $\Delta A=$ the time interval for the switch from $\alpha_{1}$ to $\alpha_{2}$. We estimated values for the parameters $A^{*}$ and $\Delta A$ from the data (Fig. 3) and did not allow these values to vary or to be optimized. Thus, only the parameters $N_{\mathrm{o}}$ (eq. 6), $\alpha_{1}$, and $\alpha_{2}$ were optimized.

Analysis 2 (4- and 5-parameter models).-Deviations of the 3-parameter model from measured age histograms


Fig. 3. Relationship between Margaritifera falcata mortality averaged over 5-y intervals and mussel age. Negative values at ages $<5 \mathrm{y}$ indicate undersampling of juveniles.
reflect temporal variation in recruitment or mortality. Results from Analysis 1 suggested that such variations were significant and were related to variations in river discharge (see Results, Analysis 1). Therefore, we also used models containing additional parameters to test this relationship. We assumed that high flows influence mussel survivorship more than low flows (Howard and Cuffey 2003) because the highest channel-bank shear stresses occur when discharge $(Q)$ is highest. For this reason, we defined an index of high $Q$ magnitude $\left(Q^{*}{ }_{n}\right)$ as the mean of the largest $5 \%$ of all flows in an $n$-year period. We calculated this index using gauging station data (Appendix 2), and then averaged $Q$ according to the uncertainty in estimated ages for the corresponding year. We used $n$ $=2$ in our calculation because it gave the best correlation between $Q$ and the nominal recruitment calculated in Analysis 1. This value is equivalent to claiming that the largest floods experienced within 2 y of birth were the greatest threat to juvenile mussel survival. We specified that $N_{\mathrm{O}}$ varied only as a function of $Q$, with a single constant $b$ defining the sensitivity:

$$
\begin{equation*}
N_{o}(y)=r_{o}\left(1+b\left(\frac{Q^{*}(y)}{\bar{Q}_{n}^{*}}-1\right)\right) \tag{8}
\end{equation*}
$$

where $r_{o}$ is the mean recruitment rate, and $\bar{Q}^{*}{ }_{n}$ is the mean of $Q^{*}{ }_{n}$ for entire data set.

We also asked whether mortality was influenced by $Q$ by including an additive perturbation to $\alpha$ as:

$$
\begin{align*}
\alpha^{*}(t, t-y) & =\alpha_{0}(t-y)+\mu\left(\left(\frac{Q_{n}^{*}(t)}{\bar{Q}_{n}^{*}}\right)-1\right)  \tag{9}\\
\alpha(t, t-y) & =\max \left(0, \alpha^{*}(t, t-y)\right)
\end{align*}
$$

where $\mu=$ sensitivity of mortality to $Q$ and $\alpha_{0}$ is the mortality rate calculated from eq. 7. We optimized 5 parameters $\left(\alpha_{1}, \alpha_{2}, r_{o}, b\right.$, and $\left.\mu\right)$ in this analysis. We also examined optimized models with only the 4 parameters $\alpha_{1}, \alpha_{2}, r_{o}$, and $b$, and compared the mismatch to that for the full 5-parameter model to evaluate the importance of $b$ relative to $\mu$.

Evaluation of uncertainties for optimized model param-eters.-We evaluated the statistical significance of each optimized model parameter for the 5-parameter model. We used a Monte-Carlo technique to answer 2 questions about model parameters: 1) What are the 95\% confidence intervals for each optimized model parameter?, and 2) Does each model parameter contribute significantly to describing the age structure of the populations? This procedure was equivalent to asking whether the optimized parameters were different from 0, a question that could be answered implicitly by inspecting the size of the confidence intervals.

We randomly perturbed uncertain model inputs and then recalculated optimal parameter values. We repeated this process $\sim 500$ times and then assembled the optimal values into frequency distributions. The model had 4 significant potential sources of error: 1) $Q$,
2) the fixed parameter $\Delta A, 3$ ) the fixed parameter $A^{*}$, and 4) the age histograms. Perturbations to these parameters were as follows: 1) $Q$-We multiplied $Q$ values by a normal random variable with mean $=1$ and a standard deviation (SD) $=0.02$ to obtain an $8 \%$ range of $Q$ perturbations, commensurate with the covariance of gauging station data at Branscomb and Leggett (Appendix 2). 2) Fixed parameters $\Delta A$ and $A^{*}$-We multiplied parameter values by normal random variables with mean $=1$ and $\mathrm{SD}=0.05$ to obtain a $\pm 2 \mathrm{SD}$ interval of 4 y for $A^{*}$, which was reasonable given the data (Fig. 1). 3) Age histogramsWe perturbed values with a $6-\mathrm{y}$ sinusoidal wave function with a random phase and an amplitude that decreased as a function of age (i.e., the value of the perturbation as a $\%$ of the nominal histogram value increased from $5 \%$ at age 0 y to $10 \%$ at 40 y ). This choice for the uncertainty was based on a Monte-Carlo estimate of the mismatch between a frequency distribution given exactly by the measured distribution and a random subsample of 2050 ( $n$ for measured mussels) taken from this distribution. We compared the measured distribution to 1500 subsampled distributions to compile the uncertainty estimate.

Evaluation of predictive power.-Incorporating $Q$ data into the optimization analysis led to significant improvements in the match between modeled and measured age histograms. We did a $2^{\text {nd }}$ Monte-Carlo analysis to determine if this improved match occurred because of our optimization procedure and analysis or because the $Q$ data had genuine predictive power. We randomly fabricated discharge time-series data, assuming $Q$ was distributed as a uniform, random variable with upper and lower limits given by the real $Q$ data. We treated each of these fabricated $Q$ sets identically to the real data (converted to a $Q_{n}{ }^{*}$ time series, and then used the time series to calculate optimized parameters). We repeated this step $\sim 1000$ times to compile a frequency distribution of the mismatches ( $J$ ), and then compared the mismatch associated with the real $Q$ data to this distribution.

## Results

Age histograms
Mussels were abundant ( $>12,000$ individuals; Howard and Cuffey 2003) in the South Fork Eel sites sampled and included a substantial number of younger individuals (Fig. 4A). Less than $16 \%$ of the population was $\geq 20 \mathrm{y}$ old, with the oldest individuals ranging between 33 and 39 y. Few individuals $<6$ y old (juveniles) were found in 2000. However, this low number of juveniles was a sampling artifact, as indicated by comparing the 2000 and 2003 age
distributions (Fig. 4A). If the number of juveniles found in 2000 had been accurate, the mid-juvenile portion (ages 3-9) of the 2003 distribution should have been a right-shifted version of the 2000 distribution. Instead, the 2003 histogram reflected the 2000 histogram up to age 5, but the number of individuals in the 5 to 9 age classes in the 2003 histogram was similar to the number of individuals in the age 5 age class in the year 2000 histogram (Fig. 4A). The upper peaks of the 2 histograms were similar (ages 6-12 in year 2000, ages 9-15 in 2003; Fig. 4A), demonstrating that this agedistribution shift was a real feature of the population age structures. In 2000, the histogram peaked between ages 8 and 11, whereas in 2003 the peak occurred between ages 11 and 14 .

## Recent mortality rates

Estimated $\alpha_{3}$ was negative for ages 1 to 5 (Fig. 3) and clearly showed that the scarcity of juveniles in 2000 was a sampling artifact. Given this result, $A_{\text {min }}=6$ was selected for subsequent analyses (in eq. 7). The plot of $\alpha_{3}$ against age in 2000 showed a higher mortality rate for adults ( $\geq \sim 20 \mathrm{y}$ ) than for younger mussels, whose $\alpha_{3}$ values were $\sim 0$ (Fig. 3). This result motivated the form of eq. 7. The plot of $\alpha_{3}$ against age showed that mortality rate varied with age. However, the inferred age-specific mortalities may be uniformly offset from their true values because the age histograms were subsamples of the total population, and total population size may have changed during the $3-\mathrm{y}$ study. This offset was unlikely to be significant given the close match of the population peak in both years (Fig. 4A).

## Population age structure

Analysis 1.-The optimized, time-invariant (3-parameter) model reproduced key features of the age histogram of the South Fork Eel population (Fig. 5); however, a considerable mismatch between the modeled and actual histograms still existed. Optimal values for the model mortality parameters were 0.04 and $0.22 / \mathrm{y}$ for juveniles and adults, respectively, $r_{o}=$ 1200 mussels/y or 0.15 mussels $\mathrm{y}^{-1} \mathrm{~m}^{-1}$ channel length.

Deviations from this time-invariant model probably were the result of annual variations in $r_{o}$. A perfect match between modeled and measured histograms could be achieved if $r_{o}$ varied as shown in Fig. 6A, with a quasicyclical pattern of high and low nominal recruitment. High recruitment occurred between 1976 and 1978 and between 1987 and 1992, whereas low recruitment occurred between 1980 and 1986 and 1991 and 1994 (Fig. 6A).

Analysis 2.-Incorporating $Q$ data in the population


Fig. 4. Population age histograms for Margaritifera falcata. A.—The South Fork Eel River in 2000 and 2003. B.-The North Fork Navarro River in 2003.
model provided a much better result than the 3parameter model (Fig. 5), with a significantly lower $J$. Most of the improvement resulted from inclusion of the $Q$-dependence of recruitment (non-0 b). Relative to the 3 -parameter model, $J$ was reduced by a factor of 2.5 using the 4 -parameter model ( $\left.\alpha_{1}, \alpha_{2}, r_{0}, b\right)$, and inclusion of the $Q$-dependence of mortality ( 5 -parameter model) yielded further improvement, although this increase only was marginally important ( $J$ was reduced by $23 \%$ relative to $J$ for the 4 -parameter model; Fig. 5). The sensitivity of recruitment to $Q$ (4parameter model) yielded $b=-0.60$, implying that a doubling of $Q$ decreased recruitment by $60 \%$. Mean $r_{o}$ ( $=1400$ mussels/y) for the 5 -parameter model and youthful and adult mortalities were comparable to previous results ( 0.02 and $0.18 / \mathrm{y}$, respectively). An important point is that $Q$-dependent mortality did not
significantly change the inferred sensitivity of $r_{o}$ to $Q$ ( $b$ $=-0.59$ ). The optimized sensitivity of mortality was $\mu$ $=-0.15 / \mathrm{y}$, implying that mortality was lower (and $N_{o}$ was lower) in high- $Q$ years than in low- $Q$ years.

Evaluation of uncertainties for optimized model parameter
Four of the model parameters ( $\alpha_{2}, r_{o}, b, \mu$ ) significantly shaped the age structure of the population in the South Fork Eel River. Youthful mortality was indistinguishable from 0 and was much lower than adult mortality; measurements of mussel lengths (converted to ages) from 2000 to 2003 in the field corroborated this result independently (Figs 3 and 4).
The sensitivity of $r_{o}$ to $Q(b=-0.59)$ was closely constrained between -0.5 and -0.7 (Table 1). In


Fig. 5. Comparison of the 5-parameter (best-fit model) and the 3-parameter (model without discharge) optimized model for Margaritifera falcata in the South Fork Eel River plotted with real age histogram data.
contrast, the sensitivity of mortality to $Q$ was less well constrained but still demonstrably negative (Table 1).

## Evaluation of predictive power

The real $Q$ data provided a better match between modeled and measured histograms than did $>95 \%$ of the random $Q$ time series (Fig. 7), indicating that our optimization procedure probably did not force the results discussed above. Instead, the impacts of $Q$ on recruitment and mortality were significant factors altering M. falcata population structure.

## Navarro River results

Margaritifera falcata were much less abundant (only $\sim 350$ individuals in 5 aggregations) and individuals were considerably older ( $99 \%$ of the Navarro population $\geq 20$ y; Fig. 4B) in the Navarro than in the South Fork Eel. The oldest mussels were between 70 and 76 y. The apparent peak of the population occurred at 38 y . The low number of mussels born after 1972 ( 28 y old) and the absence of mussels born after 1989 (in the past 14 y ) were particularly striking. The population age structure of $M$. falcata in both rivers was characterized by an exponential decrease in the frequency of older individuals. In the Navarro, a best-fit exponential to the declining limb of the age distribution gave an estimate for adult mortality of $\sim 0.09$, a value much lower than adult mortality at the South Fork Eel (0.2). The Navarro age distribution was perfectly matched by calculating a nominal $r_{o}$ from the ratio of the data to the best-fit exponential model as shown in Fig. 6B.

## Discussion <br> Apparent absence of juvenile mussels

The apparent scarcity of juvenile ( $<6$ y old) $M$. falcata in the South Fork Eel was an artifact; our resampling of study sites demonstrated conclusively that many of the juvenile mussels alive in 2000 (i.e., found in 2003) were not detected in 2000 (Fig. 4). We do not know the reason for our inability to detect juveniles in the South Fork Eel. One possibility is that juveniles and adults were distributed in different microhabitats within the channel, or they may have burrowed deeper in the substrate than we excavated (10 cm), making them difficult to find (Hastie et al. 2000b). Villosa iris burrowed $\sim 1 \mathrm{~cm}$ within 20 min of placement on the substrate (Yeager et al. 1994), and $M$. falcata has been observed burrowing within 15 min of being placed on both gravel and sand substrates (JKH, personal observation). Another possibility is that juveniles were too small to be detected in our surveys (Hastie et al. 2000b). Small sizes (glochidia are $\sim 60 \mu \mathrm{~m}$ long) may have contributed to our inability to find juvenile M. falcata (JKH, personal observation). However, 2- to 4 -y-old mussels in the South Fork Eel were between $10-24 \mathrm{~mm}$ in length and were easily recognizable in the channel (JKH, personal observations).

In contrast, young mussels ( $>10 \mathrm{y}$, age classes that were easily detected in the South Fork Eel) truly were absent from the Navarro. The absence of juveniles in the Navarro could be explained by some mortality event that affected only younger mussels, but a more plausible explanation is that the $r_{o}$ varied as shown in


Fig. 6. Relationship between nominal recruitment rate of Margaritifera falcata and discharge of the South Fork Eel River (A) and the North Fork Navarro River (B). Nominal recruitment is the ratio between the real and modeled histograms and is the recruitment rate necessary to achieve a perfect match to the mussel age data.

Fig. 6, with serious decline beginning before 1970 and complete failure occurring after 1984. Anomalous Qs over the past 2 decades did not explain the observed recruitment failure in the Navarro (Fig. 6B). Extremely low numbers or total absence of juveniles resulting from declining recruitment have been reported for other mussel species in other rivers (Hendelberg 1961, Bauer 1983, Beasley and Roberts 1999).

## Mortality rates

Empirical data and modeling results indicated 2 distinct mortality rates for M. falcata in the South Fork Eel: 1) following high initial mortality rates for very
young mussels at a rate not quantified here, juvenile (5- to 20 -y-old) mortality of $\sim 2 \%$, and 2 ) a 15 to $20 \%$ mortality rate for mussels $>20 \mathrm{y}$. The latter mortality rate accounted for the exponential decline in older individuals in the South Fork Eel. Bauer (1983) reported similar results for $M$. margaritifera in a North Bavaria river, where mortality for mussels $<40$ y old was nearly 0 and mortality for mussels $>40 \mathrm{y}$ old was $\sim 20 \%$. In our study, adult mortality was much lower in the Navarro than the South Fork Eel ( 0.09 and 0.2 /y, respectively), a difference that accounted for the presence of substantially older individuals in the Navarro than in the South Fork Eel.

Table 1. Optimal values of 5 life-history parameters for the freshwater mussel Margaritifera falcata obtained from analysis 3 (see text) and the $5^{\text {th }}$ and $95^{\text {th }}$ percentile confidence limits.

| Parameter | Optimal <br> value | $5^{\text {th }}$ <br> percentile | $95^{\text {th }}$ <br> percentile |
| :--- | ---: | :---: | :---: |
| Youthful mortality | 0.02 | -0.002 | 0.033 |
| Adult mortality | 0.18 | 0.16 | 0.21 |
| Mean recruitment rate <br> Sensitivity of recruitment <br> to discharge <br> Sensitivity of mortality <br> to discharge | -0.12 | 0.09 | 0.15 |

The present number of observed old-age mussels in the Navarro River could be explained by an $r_{o}$ of $\sim 80$ mussels/y in the 1940s and 1950s, assuming the application of the adult mortality rate for mussels $>20$ y in the South Fork Eel to the mussels in the Navarro. This value is comparable to total mussel recruitment in a $\sim 300-\mathrm{m}$ reach of the modern South Fork Eel. We found all Navarro mussels within a single 500-m reach, suggesting that mussel recruitment in this section of the Navarro in the 1940s and 1950s was comparable to recruitment in the present-day South Fork Eel.

## Environmental controls on age structure

Population dynamics of $M$. falcata were associated with environmental conditions, most notably annual
river discharge regimes. $r_{o}$ was strongly dependent on the magnitude of $Q$, and recruitment was significantly reduced in high-discharge years. A striking example of low recruitment occurred during 1991 to 1994 (Fig. 6A), a particularly strong El Niño period (Western Regional Climate Center 2002). Discharge in rivers along the north coast of California increases during El Niño periods, a pattern that suggests that mussel recruitment in coastal California rivers may decrease in El Niño years. Our analyses provide weak evidence for a suppression of mortality of established mussels during high-discharge years, and this lower mortality may, in part, counteract decreased recruitment during high-discharge years.

At least 3 potential mechanisms could account for the high-discharge-low-recruitment pattern. First, juvenile mussels may be displaced downstream by flow. Mussels in the South Fork Eel typically occur in parts of the channel where shear-stress magnitude is minimized, making displacement during floods less likely (Howard and Cuffey 2003). Shear stress is correlated with discharge, so juvenile mussels may be more likely to be displaced during high-flow events than at other times. In a related study of abundance of M. margaritifera before and after a $100-\mathrm{y}$ flood, 4 to $8 \%$ of the population was killed as a result of the flood (Hastie et al. 2001). Mussels were displaced considerable distances downstream from preflood locations, and the youngest age classes ( $<10$ y) were most affected. Second, host fishes for M. falcata are salmo-


Fig. 7. Distribution of the model mismatch indices ( $J$ ) obtained with 1000 permutations of fabricated random-discharge timeseries data. The arrow indicates the best-fit mismatch achieved with the real discharge time-series data.
nids (see Study species above; Karnat and Milleman 1978), and juvenile salmonids are considered more important hosts than adults because salmonids develop immune responses to glochidial infection that reduce glochidal survivorship (Karnat and Millemann 1978, Bauer and Vogel 1987). High-discharge events cause emigration and mortality of overwintering juvenile salmonids (McMahon and Hartman 1989, Giannico and Healey 1998), so low mussel recruitment in high-discharge years may be an indirect effect of reductions in juvenile salmonid abundance in highdischarge years relative to low-discharge years. Last, high-flow events may reduce stream temperatures (Younus et al. 2000), and low temperature has been linked with reduced recruitment success in freshwater mussels (Hruska 1992) because most species require a thermal threshold to begin spawning (Dillon 2000).

## Discharge-dependent mortality

Unlike juveniles, adult M. falcata are not adversely affected by high discharges, a conclusion based on their inferred decrease in mortality rates during highdischarge years. This result also is consistent with the observation that mussels are spatially concentrated in areas of the channel protected from high flows (Howard and Cuffey 2003). One explanation for lower mortality in high-discharge years is related to scour of fine sediments. High flows may be necessary to remove silt and biological deposits that accumulate in mussel aggregations. These accumulations are particularly problematic in low-discharge refuges because silt may clog gills, reduce feeding efficiency, and reduce survival (Kat 1982, Brim Box and Mossa 1999). Accumulated silts also may reduce individual development and growth. Hruska (1992) found that individuals reared on clean gravels exhibited more consistent growth than individuals held in silty substrates. Thus, scouring floods may be necessary to maintain suitable mussel habitat and growth.

## Between-river comparisons of mussel abundances and age structures

The striking difference in M. falcata abundance and age structure between the South Fork Eel and Navarro populations may be a consequence of: 1) the interplay of 2 interrelated factors, landuse history and fish populations, 2) the severe declines in the Navarro population after 1970 with little or no recruitment over the subsequent 30-y period, and 3) the important role that $Q$ plays in shaping the age structure of the South Fork Eel population but not of the Navarro population.

Unlike the South Fork Eel, the Navarro has been
impaired by a history of land uses in the watershed that has compromised its ecological integrity. Sediment loads and stream temperatures in much of the Navarro have been above Clean Water Act standards since the mid 1990s (USEPA 2000). Moreover, surveys by the California Department of Fish and Game conducted since the early 1960s have shown that salmonid spawning habitat in the North Fork Navarro has been significantly degraded, primarily from logging. Most of the North Fork Navarro was logged before 1945 and again after 1974 (USEPA 2000). Quantitative data are not available for host fish populations, but anecdotal evidence between 1920 and 1970 suggests that the Navarro was a popular fishing river with restaurants and hotels catering to anglers (Adams 2001). By 1980, these facilities were closed, and the Navarro fishery had collapsed. In contrast, the South Fork Eel mussel populations were in a relatively pristine reach entirely within protected lands where fish populations do not appear to be in decline (M. E. Power, University of California, unpublished data).

In summary, our study provides a powerful method to analyze factors influencing the population age structure of freshwater mussels. Similar models and techniques can be applied to mussel populations in other watersheds to provide a basic understanding of factors controlling demographics and to assist in conservation of this and other endangered mussels.

## Acknowledgements

We thank the University of California Natural Reserve for protecting the Angelo Coast Range Reserve for research and teaching. We are indebted to Mary Power for allowing us use of her laboratory for processing, for guidance and wisdom, and for providing a stimulating research environment. We thank Mary Power, Jayne Brim Box and 2 anonymous referees for helpful comments on the manuscript and Peter Steel for logistical support. This research was supported by a grant from the California Center for Water Resources (\#24924).

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Received: 21 July 2004
Accepted: 8 May 2006

## Appendix 1. Singular Value Decomposition.

The coefficient vector $a_{k}$ from $N j^{\text {modeled }}$ (eq. 5) was perturbed by an initial arbitrary amount, $d a_{k}$ (in this case 0.1), and the result was used to calculate a gradient matrix (G), defined as:
$\mathbf{G}_{j k}=\left[N j^{\text {modeled }}\left(a_{k 0}+d a_{k}\right)-N j^{\text {modeled }}\left(a_{k 0}-d a_{k}\right)\right] /\left(2 d a_{k}\right)$
where $j$ is the row corresponding to the specific data point, $k$ is the column corresponding to the model parameter, and $N_{j}$ is the number of individuals in the $j^{\text {th }}$ row. In Analysis 1, the $j \times k$ matrix $\mathbf{G}$ was a $40 \times 3$ matrix, whereas in Analysis 2, it was a $40 \times 4$ matrix. Our goal was to find the vector of perturbation sizes $d a_{k}$ that minimized (by least squares) the mismatch between $N^{\text {modeled }}$ and $N^{\text {measured }}$. This step was done iteratively using:

$$
\left(N j^{\text {modeled }}-N j^{\text {measured }}\right)=\left(\mathbf{G}_{j k}\right)\left(d a_{k}\right)
$$

and inverting $\mathbf{G}_{j k}$ using Singular Value Decomposition. This step provided the perturbation vector $\left(d a_{k}\right)$ that minimized $J$. We recalculated $N_{j}^{\text {modeled }}$ using $a k=$ $a_{k 0}+d a_{k}$.

Appendix 2. Calculation of discharge ( $Q$ ).
We used discharge data from the US Geological Survey (USGS) records of daily stage measurements at the study site from 1946-1970 (Branscomb station). Recording of river stage was resumed in 1990 by M. E. Power, University of California, Berkeley, at the same staff gauge. We estimated $Q$ from stage height using a rating curve provided by USGS (Kupferberg 1996). We estimated gaps in the record between 1970 and 1990 using data collected from a USGS gauging station (Leggett) $\sim 35 \mathrm{~km}$ downstream of the Branscomb gauge. We correlated stage-height data at the Branscomb site with data at the Leggett site. We fitted a linear model to predict missing stage-height data at the Branscomb gage from the Leggett data ( $\mathrm{y}=0.19 \mathrm{x}-$ 10.67, $r^{2}=0.97$ ).


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